## Calculation Policy



## Making Learning An Adventure

The following calculation policy has been devised to meet requirements of the National Curriculum 2014 for the teaching and learning of mathematics, and is also designed to give pupils a consistent and smooth progression of learning in calculations across the school. The policy has been devised with members of staff using the White Rose Maths Hub Calculation Policy with further material added and adapted. It is a working document and will be revised and amended as necessary

Age stage expectations: The calculation policy is organised according to age stage expectations as set out in the National Curriculum 2014 and the method(s) shown for each year group should be modelled to the vast majority of pupils.

However, it is vital that pupils are taught according to the pathway that they are currently working at and are showing to have 'mastered' a pathway before moving on to the next one. Of course, pupils who are showing to be secure in a skill can be challenged to the next pathway as necessary.

Choosing a calculation method: Before pupils opt for a written method, they should first consider these steps:
Can I do it in my head using a mental strategy?

Could I use some jottings to help me?
Should I use a formal written method to work it out?

## Addition- Reception Early learning goals:

Count reliably with numbers from 1 to 20 , place them in order.
Say which number is one more than a given number.

Using quantities and objects, they add two single-digit numbers and count on to find the

|  <br> Strategy | Concrete | Abstract |  |
| :---: | :---: | :---: | :---: |
| Recognise <br> numbers up to <br> 20 and <br> understand the <br> meaning of <br> each number by <br> recognising and <br> knowing their <br> clusters | Children use everyday objects and <br> resources to represent each <br> number up to 20. For example: | Children are shown different visual <br> representations and recognise <br> what number it represents | Children are shown a digit and <br> understand what this means <br> e.g. 2 |
| Count on in <br> ones and say <br> which number <br> is one more or <br> less than a <br> given number | Children physically move <br> themselves along the numbers <br> e.g. jump or walk <br> $1223 / 456$ | Children use a number line or <br> number track to 20 and count <br> along it forwards or backwards | One more than 2 is 3 <br> $2+1=3$ |

## Addition Year 1 statutory requirements:

Count to and across 100, forwards beginning with 0 or 1 , or from any given number.
Given a number, identify one more.
Read, write and interpret mathematical statements involving addition (+), and equals (=) signs.
Represent and use number bonds and related subtraction facts within 20
Add one-digit and two-digit numbers to 20 , including zero.
$\square$ Solve one-step problems that involve addition using concrete objects and pictorial representations, and missing number problems.

|  <br> Strategy | Concrete |  | Pictorial |  | Abstract |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Identify and <br> represent numbers <br> using objects and <br> pictorial <br> representations <br> (multiple <br> representations) | Children use equipment and <br> everyday objects to make and <br> represent a number |  | $\bullet$ | 5 |  |


| Represent \& use number bonds and related subtraction facts within 20 | Children use practical equipment on a tens frame to represent the bonds | Children see and draw images in a tens frame and part whole model to find number bonds and related facts | $\square$ $\square$ $\square$ $\begin{aligned} & 6+4=10 \\ & 4+6=10 \\ & 10-4=6 \\ & 10-6=4 \end{aligned}$ <br> $10-6=4$ <br> Bar Model <br> ' 1 more than 5 is equal to 6 .' ' 2 more than 5 is 7. .' ' 8 is 3 more than 5.' |
| :---: | :---: | :---: | :---: |
| Combine two parts to make a whole | Children will use lots of different resources such as Numicon, counters, eggs, shells, teddy bears and everyday objects | Children will use and draw pictures in a to add together 2 numbers as a group or in a bar | Digits will be used $4+3=7$ (four is a part, 3 is a part and the whole is seven) |
| Use concrete resources and a number line to support the addition of numbers. Know | A number line alongside equipment is used | A bar model is used which encourages the children to count on | The abstract number line: What is 2 more than 4 ? What is the sum of 4 and 4 ? What's the total of 4 and 2? 4 $+2$ |


| and use strategy of finding the larger number, and counting on in ones from this number |  | 4   <br> $?$   <br>    |  |
| :---: | :---: | :---: | :---: |
| Regrouping to make 10. <br> This is an essential skill for column addition later. | Use a tens frames and counters/cubes or using Numicon $\text { e.g. } 6+5$ | Children draw the tens frames and counters/cubes <br> Use pictures or a number line. Regroup or partition one of the numbers e.g. $9+5=14$ | Children to develop an understanding of equality e.g. $\begin{gathered} 6+\square=11 \\ 6+5=5+\square \quad 6+5=\square+4 \end{gathered}$ |

## Addition Year 2 statutory requirements:

$\square$ Recall and use addition and subtraction facts to 20 fluently, and derive and use related facts to 100.
Recognise and use the inverse relationship between addition and subtraction and use this to check calculations and solve missing number problems.
Add numbers using concrete objects, pictorial representations, and mentally, including:

- a two-digit number and ones

Key Vocabulary:
+, add, addition, more, plus make, sum, total, altogether, score, double, near double, one more, two more... ten more... one hundred - a two-digit number and tens more how many more to make...? How many

- two two-digit numbers • adding three one-digit numbers.

Solve problems with addition including those involving numbers, quantities and measure



|  | Partition both the numbers. <br> - Add together the ones. Have we got 10 ones? <br> - Exchange 10 ones for 1 ten. <br> - How many ones do we have? <br> - Add together the tens. How many do we have altogether? |  | Children will also be shown how to partition and recombince to find the answer. $\begin{gathered} t \\ 20+5 \\ 20+40=60 \\ 5+7=12 \\ 60+12=72 \end{gathered}$ |
| :---: | :---: | :---: | :---: |
| Add three 1-digit numbers | Use practical equipment. Combine to make 10 first if possible, or bridge 10 then add third digit | $+\sqrt{3}_{\infty}^{8}+8^{4}+\infty$ <br> Regroup and draw representation. | Combine the two numbers that make/ bridge ten then add on the third. $\begin{aligned} \frac{4+7+6}{10} & =10+7 \\ & =17 \end{aligned}$ |

## Addition Year 3 statutory requirements:

- Find 10 or 100 more than a given number.
- Recognise the place value of each digit in a three-digit number (hundreds, tens ones).
- Add numbers with up to three digits, using formal written methods of columnar addition


## Key Vocabulary:

+, add, addition, more, plus make, sum, total altogether score double, near double one more, two more... ten more... one hundred more how many more to make ? How manv



## Addition Year 4 statutory requirements:

Find 1000 more than a given number.
Add numbers with up to 4 digits using the formal written methods of columnar addition where appropriate.
Solve addition two-step problems in contexts, deciding which operations and

## Key Vocabulary:

add, addition, more, plus, increase sum, total, altogether score double, near double how many more to make...?

## Consolidate learning from Year 3

|  <br> Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Add numbers <br> with up to 4 <br> digits | Children continue to use base <br> ten or place value counters to <br> add, exchanging ten ones for <br> a ten and ten tens for a <br> hundred and ten hundreds for <br> a thousand. | Draw representations using <br> place value counters | Continue from previous work to <br> carry hundreds as well as tens. <br> Relate to money and measures |



|  <br> Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Count <br> backwards in <br> familiar contexts <br> such as number <br> rhymes or <br> stories |  | Children draw the items <br> themselves as they decrease | Children see the numbers <br> represented $10,9,8,7,6,5,4,3,2,1$ |


|  |  |  |  |
| :---: | :---: | :---: | :---: |
| Say which number is one less than a given number using numbers to 20 | Use equipment and remove one to find one less <br> Children use large numbers and move backwards to find one less | Children count back 1 along a number line | 10 take away 1 is .. 1 less than 8 is $5-1=$ |
| Repres $\square$ Read, writ S | raction Year 1 sta <br> Say which number is one less nt and use number bonds and r and interpret mathematical stat equals (=) sig <br> btract one-digit and two-digit nu | tutory requirements: <br> than a given number. ated subtraction facts within 20. ments involving subtraction (-) and s. bers to 20, including zero. | Key Vocabulary: <br> subtract, take (away),smaller, fewer, minus, less, leave, how many are left/left over? How many have gone? One less, two less, ten lace homi many famior |

$\square$ Solve one-step problems that involve subtraction using concrete objects and
pictorial representations, and missing number problems

|  <br> Strategy | Concrete | Pictorial | Abstract |
| :--- | :---: | :---: | :---: |
| Taking away ones | Use physical objects, counters <br> , cubes etc to show how <br> objects can be taken away | Cross out drawn objects to <br> show what has been taken <br> away | $7-4=3$ <br> $16-9=7$ |
|  |  | at |  |


|  | $4-2=2$ |  |  |
| :---: | :---: | :---: | :---: |
| Counting back | Move objects away from the group, counting backwards <br> Move the beads along the bead string as you count backwards. | Count back in ones using a number line $15-7=8$ | Put 13 in your head, count back 4. What number are you at? $13-4=?$ |
| Find the difference | Compare objects and amounts <br> 7 'Seven is 3 more than four' 4 <br> 'I am 2 years older than my sister' <br> Lay objects out in a bar model | Counting on using a using a number line to find the difference | Hannah has 12 sweets and her sister has 5 . How many more does Hannah have than her sister? |
| Represent and use number bonds and related subtraction facts within 20 Part Part Whole model | Link to addition and the Part Part Whole model to model the inverse | Use pictorial representations to show the part. | Move to using numbers within the part whole model |


|  | If 10 is the whole and 6 is one of the parts, what $s$ the other part? $10-6=4$ |  |  |
| :---: | :---: | :---: | :---: |
| Make 10 | Make 14 on the ten frame. Take 4 away to make ten, then take one more away so that you have taken 5 | $13-7=6$ <br> Jump back 3 first, then another 4. Use ten as the stopping point. $13-7$ $13-7=6$ $\square$ <br> $\ldots$ [3] | $16-8=$ <br> How many do we take off first to get to 10 ? How many left to take off? |
| Bar model | $5-2=3$     <br> 600 600 600 000 000 <br> 600 600    | Children draw their own bar models | 8 2$\begin{aligned} & 10=8+2 \\ & 10=2+8 \\ & 10-2=8 \\ & 10-8=2 \end{aligned}$ |

## Subtraction Year 2 statutory requirements:

Recall and use subtraction facts to 20 fluently, and derive and use related facts to 100.

Recognise and use the inverse relationship between addition and subtraction and use this to check calculations and solve missing number problems.

## Key Vocabulary:

subtract, subtraction, take (away), minus, leave, how many are left/left over? one less, two less... ten less... one hundred less, How many fewer is... than...?

Subtract numbers using concrete objects, pictorial representations, and mentally, including:
a two-digit number and ones

- a two-digit number and tens
- two two-digit numbers

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Regroup a ten into ten ones | Use a Place Value chart to show how to change a ten into ten ones, use the term 'take and make' <br> E.g. $20-4=16$ | $20-4=16$ | 20-4 = 16 |
| Partitioning to subtract without regrouping. 'Friendly numbers' | $34-13=21$ <br> Use base ten to show how to partition the number when subtracting without regrouping | Children use representations of the base ten and cross off $43-21=22$ |  |
| Make ten | $34-28$ <br> Use a bead bar or bead strings to | Use a number line to count on to next ten and then the rest. | Begin by partitioning into tens and ones. |


| strategy Progression should be crossing one ten, crossing more than one ten, crossing the hundreds. | model counting to next ten and the rest. |  |   6 <br> 60 14 $7^{1} 4$ <br> 70 4 27 <br> 20 7  <br> 40 7 77 <br>    <br> Children working at a greater depth will also then be shown the short method |
| :---: | :---: | :---: | :---: |

## Subtraction Year 3 statutory requirement:

Find 10 or 100 less than a given number.
Recognise the place value of each digit in a three-digit number (hundreds, tens, ones).
Subtract numbers with up to three digits, using formal written methods of column subtraction.

## Key Vocabulary:

subtract, subtraction, take (away), minus leave, how many are left/left over? one less, two less... ten less... one hundred less how many fewer is... than...? how much less is...? difference hetween half halve

Subtract numbers mentally, including: • A three-digit number and ones • A three-digit number and tens $\cdot \mathrm{A}$ three-digit number and hundreds.

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Column subtraction without regrouping (friendly numbers) | Use base 10 or Numicon to model | Draw representations to support understanding | $\begin{gathered} 47-24=23 \\ -20+7 \\ -20+3 \\ \hline 20+3 \end{gathered}$ |
| Column subtraction with regrouping <br> Note: The exchanged ten or hundred is just as important as any other number, therefore, it should be written as clear and as large as any other number, and placed at | Begin with base 10 or Numicon. Move to place value counters, modelling the exchange of a ten into ten ones. Use the phrase 'take and make' for exchange. | Children may draw base ten or Place Value counters and cross off. | Begin by partitioning into place value columns $\begin{array}{ll} 60 & 14 \\ 70 & 4 \\ 20 & 7 \\ \hline 40 & 7 \end{array}=47 \quad \begin{array}{llll} 400 & 130 \\ 500 & 30 & 7 \\ 200 & 50 & 4 \\ 200 & 80 & 3 \end{array}=283$ <br> Then move onto formal method |



## Subtraction Year 4 statutory requirements:

- Find 1000 less than a given number.
- Subtract numbers with up to four digits, using formal written methods of columnar subtraction where appropriate.


## Key Vocabulary:

subtract, subtraction, take (away), minus, decrease leave, how many are left/left over? Difference between half, halve how many more/fewer is... than ? How much mora/loce

- Solve subtraction two-step problems in contexts, deciding which operations and
methods to use and why

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Subtract with up to 4 digits. Introduce decimal subtraction | Model the process of exchanging using Numicon, base ten and then move to Place value counters | Children may draw base ten or Place Value counters and cross off. | Then move onto formal short compact method |



## Multiolication Early Learning Goal: <br> $\square$ They solve problems, including doubling, halving and sharing.

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Use pictorial representations and concrete resources to double numbers to 10 . | Use practical activities using manipulatives such as Numicon to double a number | Draw pictures to show an item has doubled e.g. ladybirds spots | $2+2=4$ Double 3 equals 6 |
| Use concrete sources, role play, stories and songs to begin counting in twos, fives and tens. | Use everyday items and objects to count in 2's, 5's and 10's <br> Counting in 2's | Use a number line alongside the objects <br> Moving on to a numbered number line | 0, 2,?, 6, 8, ? |



## Multiplication Year 1 Statutory requirement:

$\square$ Solve one-step problems involving multiplication by calculating the answer using concrete objects, pictorial representations and arrays with the support of the teacher.

## Key Vocabulary:

lots of, groups of, $\times$, times, multiply, multiplied by, multiple of, once, twice, three times... ... times as /hin Inno mida ond on

|  <br> Strategy | Concrete | Pictorial | Abstract |  |
| :---: | :---: | :---: | :---: | :---: |
| Doubling | Use practical activities using <br> manipulatives such as Numicon to <br> double and halve a number | Draw pictures to show a number <br> has doubled <br> Double 4 is 8 | Partition a number and then <br> double each part before <br> recombining it back together. |  |
|  |  |  |  |  |


| multiples | skip counting, children may use their fingers as they are skip counting. |  | aloud <br> Write sequences with multiples of numbers. $\begin{gathered} 2,4,6,8,10 \\ 5,10,15,20,25,30 \end{gathered}$ |
| :---: | :---: | :---: | :---: |
| Making equal groups and counting the total | Use manipulatives to create equal groups. | Draw and make representations Draw to show $2 \times 3=6$ | $2 \times 4=8$ |
| Repeated addition | Use different objects to add equal groups | Use pictures and drawings alongside number lines <br> Move on to a bar model for a more structured approach e.g. 3 $+3+3+3$ | Write addition sentences to describe the pictures and objects |



## Multiplication Year 2 statutory requirement:

$\square$ Recall and use multiplication and division facts for the 2,5 and 10 multiplication tables, including recognising odd and even numbers.
$\square$ Calculate mathematical statements for multiplication and division within the multiplication tables and write them using the multiplication ( $x$ ), division ( $\div$ ) and equals (=) signs.

## Key Vocabulary:

lots of, groups of, $\times$, times, multiply, multiplied by multiple of once, twice, three times... ten times... times as (big, long, wide ... and so on) repeated addition array $\square$ Show that multiplication of two numbers can be done in any order (commutative) and division of one number by another cannot.
$\square$ Solve problems involving multiplication and division, using materials, arrays, repeated addition, mental methods, and multiplication and division facts, including problems in contexts.

|  <br> Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Doubling | Model doubling using base ten <br> and place value counters E.g. <br> double 26 | Draw pictures and <br> representations to show how to <br> double numbers | Partition each number and then <br> double each part before <br> recombining it back together |


|  |  |  |  |
| :---: | :---: | :---: | :---: |
| Counting in multiples of 2, 3, 4, 5, 10 from 0 (repeated addition) | Count the groups as children are skip counting, children may use their fingers as they are skip counting. Use bar models <br> $5+5+5+5+5+5+5+5=40$ | Number lines, counting sticks and bar models should be used to show representation of counting in multiples. <br> 3 <br> 3 <br> 3 <br> 3 | Write sequences with multiples of numbers. $\begin{gathered} 0,2,4,6,8,10 \\ 0,3,6,9,12,15 \\ 0,5,10,15,20,25,30 \\ 1,3,5,7,9,11 \\ 1,6,11,16,21 \end{gathered}$ |
| Multiplication is commutative | Create arrays using counters, cubes and Numicon <br> Pupils should understand that an array can represent different equations and that, as multiplication is commutative, the order of the multiplication | Children draw their own arrays $3 \times 4$ (3 four times) | Children to be able to use an array to write a range of calculations e.g. $\begin{aligned} & 5+5+5=15 \\ & 3+3+3+3+3=15 \\ & 5 \times 3=15 \\ & 3 \times 5=15 \end{aligned}$ |


|  | does not affect the answer. <br> $3 \times 4$ (3 four times) $4 \times 3$ ( 4 three times) | $4 \times 3$ (4 three times) |  |
| :---: | :---: | :---: | :---: |
| Using the Inverse <br> This should be taught alongside division, so pupils learn how they work alongside each other. | $\begin{gathered} \text { e.g. } 4 \times 2=8 \text { and } 2 \times 4=8 \\ 8 \div 2=4 \\ 8 \div 4=2 \end{gathered}$ <br> 8 divided into groups of $2=4$ 8 divided into groups of $4=2$ | Children draw and complete fact families | $\begin{aligned} & 2 \times 4=8 \\ & 4 \times 2=8 \\ & 8 \div 2=4 \\ & 8 \div 4=2 \\ & 8=2 \times 4 \\ & 8=4 \times 2 \\ & 2=8 \div 4 \\ & 4=8 \div 2 \end{aligned}$ <br> Show all 8 related fact family sentences <br> Very important that the children see and use the = sign at the start of a calculation |

## Multiplication Year 3 statutory requirements:

Recall and use multiplication and division facts for the 3,4 and 8 multiplication tables.
$\square$ Write and calculate mathematical statements for multiplication using the multiplication tables that they know, including for two-digit numbers times one-digit numbers, using mental and progressing to formal written methods.
$\square$ Solve problems, including missing number problems, involving multiplication including positive integer scaling problems and correspondence problems in which $n$
objects are connected to m objects.

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Multiply 2 digit by 1 digit (No exchange) | Show the links with arrays to first introduce the grid method $\square$ <br> 4 rows of 10,4 rows of 3 Then move onto base ten and place value counters E.g. $21 \times 3$ <br> 60 <br> $3=63$ <br> E.g. $34 \times 2$ | Children can represent their work with place value counters in a way that they understand. <br> They can draw the counters using colours to show different amounts or just use the circles in the different columns to show their thinking as shown below. | What calculation is represented? $\begin{array}{\|l\|} \hline 0000 \\ \hline 0000 \\ \hline 0000 \\ 0000 \end{array} \quad \square \times \square=\square$ |


|  |  | $24 \times 3=72$   <br> $\times$ 20 4 <br> 3 00 0000 <br>  00 0000 <br>  00 0000 <br>  60 12 <br>  60 $\begin{array}{r} 60 \\ +\frac{12}{72} \\ \hline \end{array}$ |  |
| :---: | :---: | :---: | :---: |
| Multiply 2 digit by 1 digit (No exchange) | $\text { E.g. } 24 \times 4$ <br> Step 1: Get 4 lots of 4 and 4 lots of twenty <br> Step 2: $4 \times 4=16$. Can I make an exchange? Yes I can take ten ones and make a ten <br> Step 3: 2 tens four times, plus my extra ten makes 90 <br> Step 4: How many tens do I have? 9 How many ones do I have 6? | Children to represent the counters/base 10, pictorially e.g. the image below | Start with multiplying by one digit numbers and showing the clear addition alongside the grid. $210+35=245$ <br> Begin with multiplying TO $\times 0$. Use place value counters alongside short compact method e.g. $12 \times 4$ |


|  | Step 5: How many tens and ones do I have altogether? 9 tens add 6 ones $=96$ |  |  |
| :---: | :---: | :---: | :---: |

## Multiplication Year 4 statutory requirement:

Recall multiplication and division facts for multiplication tables up to $12 \times 12$ $\square$ Use place value, known and derived facts to multiply and divide mentally, including: multiply two-digit and three-digit numbers by a one-digit number using formal written

> layout.
$\square$ Solve problems involving multiplying and adding, including using the distributive law
to multiply two digit numbers by one digit, integer scaling problems and harder
correspondence problems such as n objects are connected to m objects.

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Grid method recap from year 3 for 2 digits $\times 1$ digit and move to multiplying 3 digit numbers by 1 digit. (year 4 expectation) | E.g. $24 \times 4$ Start with base ten <br> Step 1: Get 4 lots of 4,4 lots of 20 <br> Step 2: $4 \times 4=16$. Can I make an exchange? Yes I can take ten ones and make a ten <br> Step 3: $4 \times 2$ tens plus my extra ten makes 9 <br> Step 4: How many tens do I have? 90 How many ones do I have 6? <br> Step 5: How many tens and ones do I have altogether? 9 tens add 6 ones $=96$ | Children to represent the counters/base 10, pictorially e.g. the image below | Start with multiplying by one digit numbers and showing the clear addition alongside the grid. $210+35=245$ |


|  | Then move on to place value counters to show how we are finding groups of a number. We are multiplying by 4 so we need 4 rows <br> E.g. $245 \times 4$ <br> Fill each row with 245 <br> Step 1: Get 4 rows of 245 (245 four times) Step 2: $5 \times 4=20$. Can I make an exchange? Yes I can take twenty ones and make 2 tens <br> Step 3: 4 tens four times plus my extra 2 tens makes 18 tens (180) Step 4: How many tens do I have? 18. Can I make an exchange? Yes I can exchange 10 tens for 1 hundred which leaves me with 8 tens. <br> Step 5: How many Hundreds do I have? 8 hundreds plus the extra hundred so 9 hundreds. <br> Step 6: How many hundreds, tens and ones altogether? $900+8+0=980$ |  |  |
| :---: | :---: | :---: | :---: |
| Column Multiplication (TO $\times \mathrm{O}$ and HTO $\times \mathrm{O}$ ) It is important at this stage that they always multiply the ones first. | Children can continue to be supported by place value counters at the stage of multiplication. This initially done where there is no regrouping and then moving on to regrouping. $321 \times 2=$ 642 | Children to represent the counters/base 10, pictorially e.g. the image below |  <br> Leading to a 3 digit number |



| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Use pictorial representations and concrete resources to halve numbers to 10 | Use practical activities using manipulatives such as cubes and Numicon to halve a number <br> Reinforce the concept of halving through everyday routines such as halving an apple, a cake, piece of bread during snack time. | Children draw representations which show halving (Splitting the amount into 2 equal groups) | Half of 6 is.... <br> I had 10 biscuits and $I$ ate half of them. How many are left? |
| Share quantities using practical resources, role play, stories and songs. | Role play example: It is the end of the party and the final two teddies are | Children draw representations which show sharing e.g. in the example below they shared 12 faces into 3 equal groups | 12 shared between 3 people is ... |


|  | waiting for their party bags. Provide <br> empty party bags and a small <br> collection of items such as gifts, <br> balloons and slices of cake. Ask the <br> children to share the objects between <br> the two bags. |  |  |
| :--- | :---: | :--- | :--- |

## Division Year 1 statutory requirement:

solve one-step problems involving multiplication and division, by calculating the answer using concrete objects, pictorial representations and arrays with the support of the teacher.

|  <br> Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Understand <br> division as <br> sharing using <br> concrete <br> resources. | I have 10 cubes, can you share them <br> evenly between 2 groups? | Children use pictures or shapes <br> to share quantities. | Share 12 between 4 |



## Division Year 2 statutory requirement:

Recall and use division facts for 2,5 and 10 multiplication tables.
Calculate mathematical statements for multiplication and division within the multiplication tables and write then using the multiplication (x), division ( ) and equals (=) signs.
Solve problems involving multiplication and division, using materials, arrays, repeated

## Key Vocabulary:

share, share equally, one each, two each, three each... group, in pairs, threes... tens equal groups of $\div$, divide, divided bv, divided into addition, mental methods, and multiplication and division facts, including problems in contexts.
Find $1 / 3 ; 1 / 4 ; 2 / 4 ; 3 / 4$ of a length, shape, set of objects or quantity

|  <br> Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Understand <br> division as <br> sharing using | I have 10 cubes, can you share them <br> evenly between 2 groups? | Children use pictures or shapes <br> to share quantities. | $\mathbf{1 2} \div \mathbf{4 = 3}$ <br> Share 12 between 4 |


| concrete resources． <br> Whilst teaching division，reinforce the connections between fractions and division and rephrase this calculation as $1 / 3$ of 18 is the same as 18 $\div 3=6$ |  | 承为 <br>  <br> 皐 $8+2=4$ <br> Children use bar modelling to show and support understanding $\text { e.g. } 12 \div 4=3$ |  |
| :---: | :---: | :---: | :---: |
| Begin to understand division as grouping using concrete resources． <br> Whilst teaching division，reinforce the connections between fractions and division and rephrase this calculation as $1 / 3$ of 18 is the same as 18 $\div 3=6$ | Divide quantities into equal groups e．g． groups of 2 <br> Use cubes，counters，objects or place value counters to aid understanding | 12 into groups of 2 $12 \div 2=6$ <br> Use number lines for grouping <br> Bar Model－Think of the bar as a whole．Split it into the number of groups you are dividing by and work out how many would be within each group <br> 20 $\square$ $\begin{aligned} & 20 \div 5=? \\ & 5 \times ?=20 \end{aligned}$ | $28 \div 7=4$ <br> Divide 28 into 7 groups．How many are in each group？ |

## Division Year 3 statutory requirement:

Recall and use multiplication and division facts for the 3, 4 and 8 multiplication tables Write and calculate mathematical statements for division using the multiplication tables that they know, including for two-digit numbers times one-digit numbers, using mental and progressing to formal written methods
Solve problems, including missing number problems, involving division including positive integer scaling problems and correspondence problems in which n objects are connected to m objects.

## Key Vocabulary:

share, share equally, one each, two each, three each... group, in pairs, threes... tens, equal groups of $\div$, divide, divided by, divided into

| Objective \& Strategy | Concrete | Pictorial | Abstract |
| :---: | :---: | :---: | :---: |
| Consolidate understanding of division as grouping using concrete resources. | Use cubes, counters, objects or place value counters to aid understanding. <br> 24 divided into groups of $6=4$ $96 \div 3=32$ | Children use numbered number lines to divide using grouping. <br> 18 into groups of $3=6$ groups <br> 18 into jumps of $3=6$ jumps <br> $18 \div 3=6$ | How many groups of 6 in 24? $24 \div 6=4$ |
| Division with arrays | Link division to multiplication by creating an array and thinking about the number sentences that can be created. $\begin{array}{rr} \text { Eg } 15 \div 3=5 & 5 \times 3=15 \\ 15 \div 5=3 & 3 \times 5=15 \end{array}$ | Draw an array and use lines to split the array into groups to make multiplication and division sentences | Find the inverse of multiplication and division sentences by creating eight linking number sentences. $\begin{aligned} & 7 \times 4=28 \\ & 4 \times 7=28 \\ & 28 \div 7=4 \\ & 28 \div 4=7 \\ & 28=7 \times 4 \\ & 28=4 \times 7 \\ & 4=28 \div 7 \\ & 7=28 \div 4 \end{aligned}$ |
| Divide two digit number by one digit with no remainders | Children represent a calculation using base ten and then share the tens and ones e.g. 39 $\div 3=21$ | Children will use a part whole model and draw in the tens and ones themselves <br> They will also be shown how to use a number line: | Children use their division knowledge and calculate the answer to questions like: $96 \div 8$ $\begin{aligned} & 96 \div 3 \\ & 96 \div 6 \end{aligned}$ |



## Division Year 4 statutory requirement:

Year 4 statutory requirement: Note - there isn't a statutory objective for division. However, Y4 statutory multiplication objectives are to (1) recall multiplication and division facts for multiplication tables up to $12 \times 12$ and (2) multiply two-digit and three-digit numbers by a one-digit number using formal written layout so we will build
on the connections between multiplication and division.



Divide 3 digit numbers by 1 digit numbers with no remainders initially moving onto with remainders


Use a partitioning methodand the part whole model to help calculate 124 $\div 4$


Begin with divisions that divide equally with no reminders e.g.


Move onto a division with a remainder


| 5 | 4 | 3 | 2 |
| :--- | :--- | :--- | :--- |

